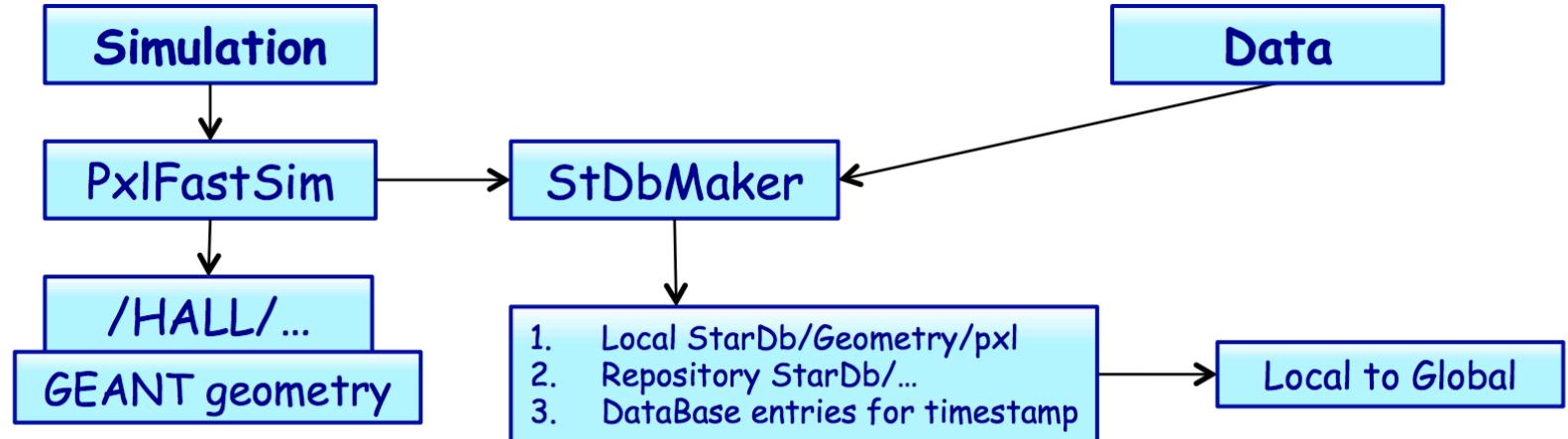


Notes on Pxl Calibrations

S. Margetis, KSU

Flowchart of Geometry/Survey/Alignment

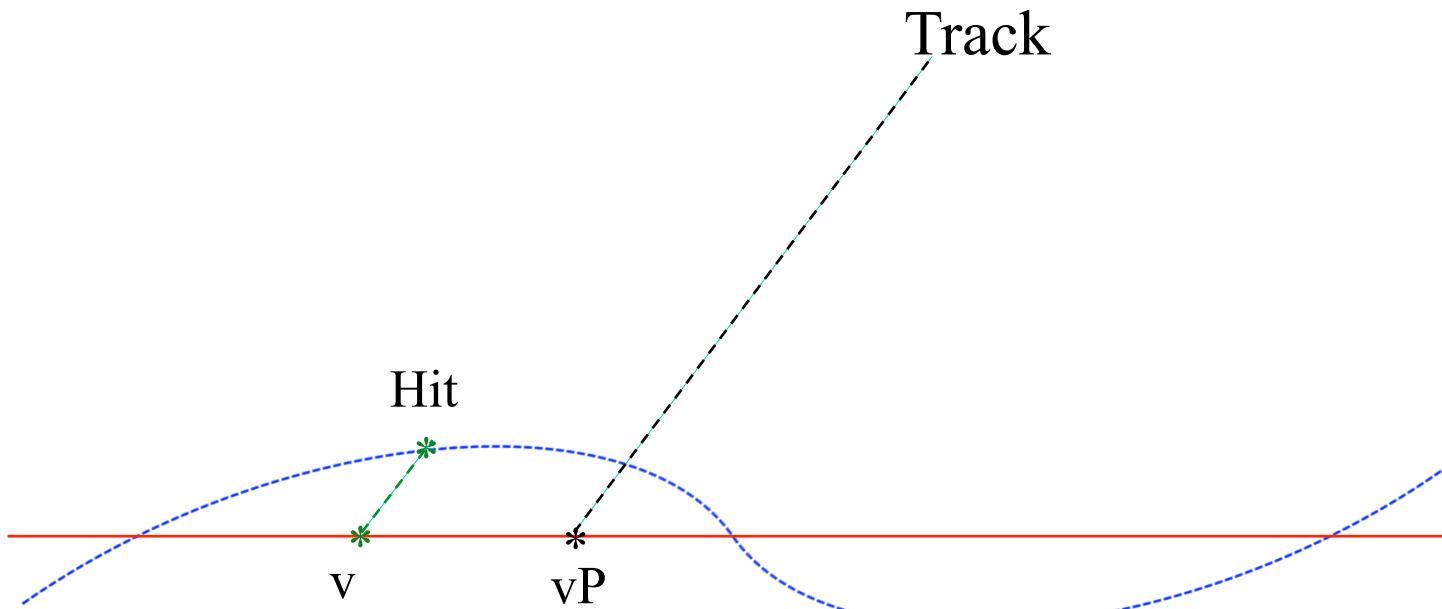


PXL

```
PG = Tpc2Global *GL * PI *DP * SD * WLL *SL *PS
PXLInGlobal=Tpc2Magnet*IDS2Tpc*PXL2IDS*DShell2PXL*Sector2DShell*Ladder2Sector*Sensor2Ladder*TPS
```

Calib * Survey * Ideal

No real need to store "Ideal" in Db



- We need to either have prediction vP on TPS plane or project hit on sensor "plane" (preferred) [Xin]
- If we fit a plane to surveyed points then all these effects will cancel in average by definition
- Need to store the fitted plane parameters too, in Survey.idl

StDbMaker

```
St_Survey *PxlSectorsOnGlobal = (St_Survey *) Get DataBase("Geometry/pxl/PxlSectorsOnGlobal");
```

/afs/rhic.bnl.gov/star/packages/.DEV2/StRoot/macros/calib/Db.C

...

```
dbMk = new St_db_Maker("db","MySQL:StarDb","$STAR/StarDb","$PWD/StarDb");
```

...

1. Local StarDb/Geometry/pxl
2. Repository StarDb/...
3. DataBase entries for timestamp

Modifications for StPxIDbMaker

Exist:

```
WG = Tpc2Global * GL * SG * LS * WLL;
```

PxLaddersOnSectors.y2013.C

~~PxLOnGlobal.y2013.C~~

~~PxLSectorsOnGlobal.y2013.C~~

PxLSensorsOnLadders.y2013.C

PxHalfOnPxI.C

PxSectorOnHalf.C

Need:

PxHitOnSensor.y2013.C

PxSectorOnHalf.C

PxHalfOnPxI.C

PxIPxIOnPst.C

PxIPstOnIds.C

PxIIdsOnTpc.C

}

might combine

Need to fit plane to points-cloud
and store function of (plane-TPS)

Refer to slides 9-12 for volume hierarchy

/PXL

// $Id = 1000 * \text{sector} + 100 * \text{ladder}$ ladder to sector

// sector[1-10], ladder[1-4], sensor[1-10]

Summary

- Ideal geometry: no need to put it in Db
 - unless we find a need for it
- We need to define all hierarchical transforms
 - we can summarize/combine those that we have no data to disentangle
- We need to fit planes through warped sensors (PxI, Ist, Ssd)
- We need to follow definitions of Ids
- Next week we expect to release the StPxIDbMaker

Backup

Reference System Hierarchy

- Star Magnet defines overall system (Field map)
- TPC is the first important system for HFT (relative positioning), attached to Magnet

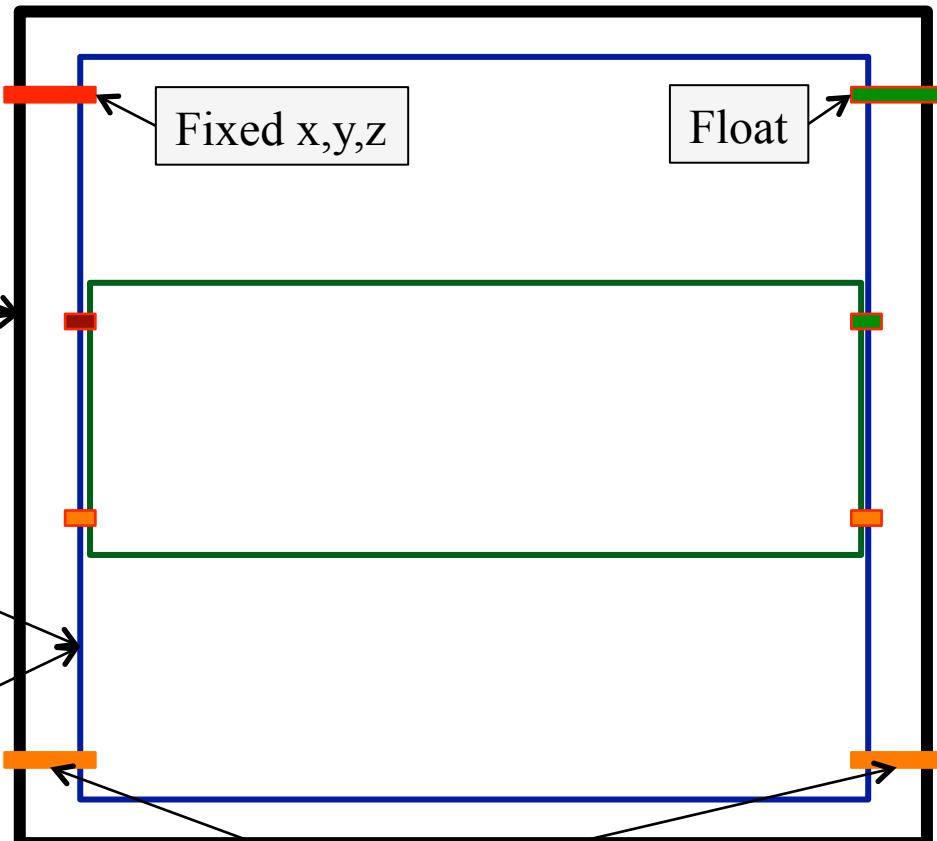
STAR Magnet=STAR system

Fixed x,y,z

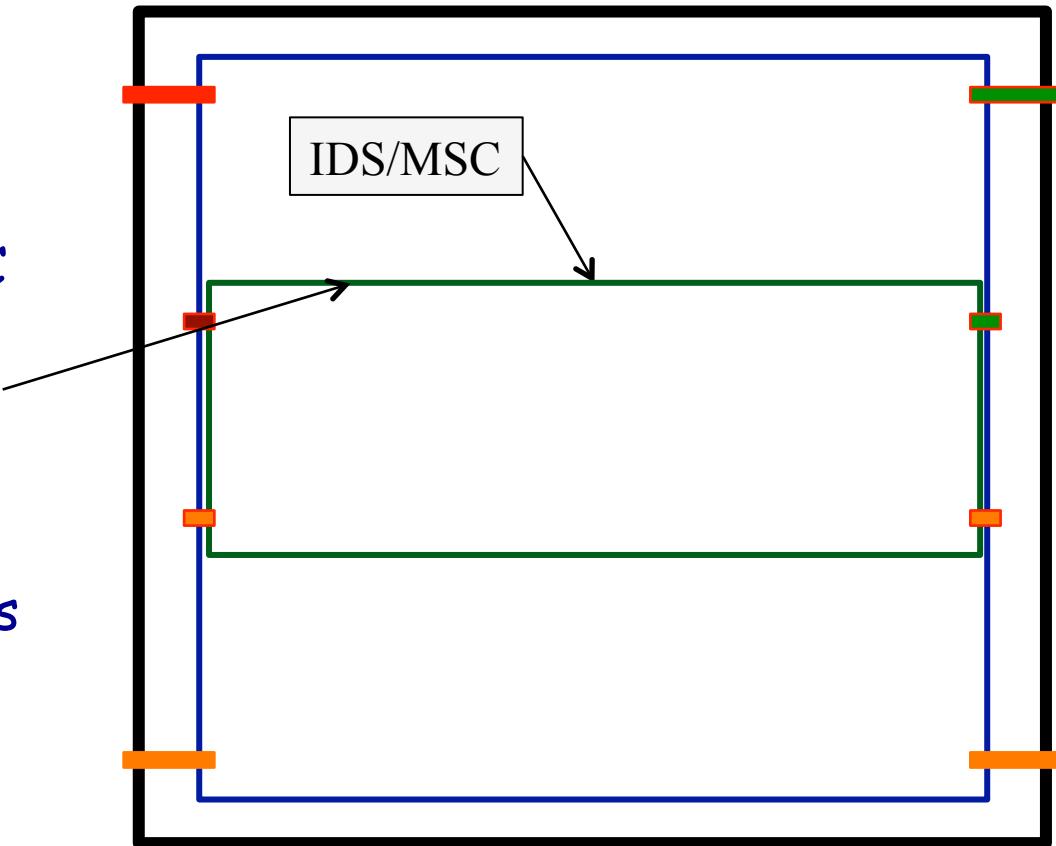
Float

TPC system

Fixed-1D-rot

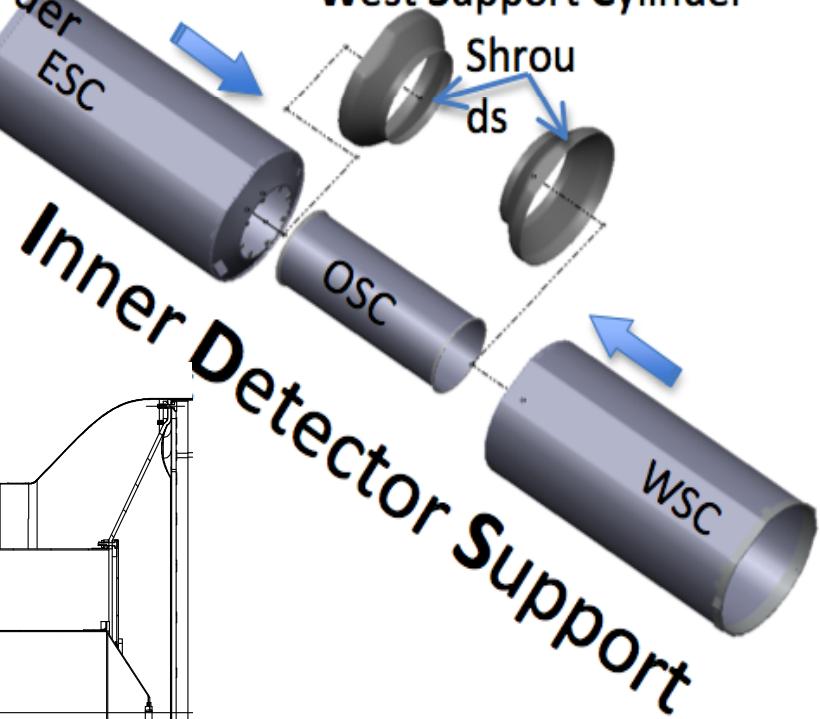


- **ESC/WSC** attached to TPC wheel. It defines the HFT system's relation (as a whole) to TPC system
- See next slides for systems inside the HFT complex



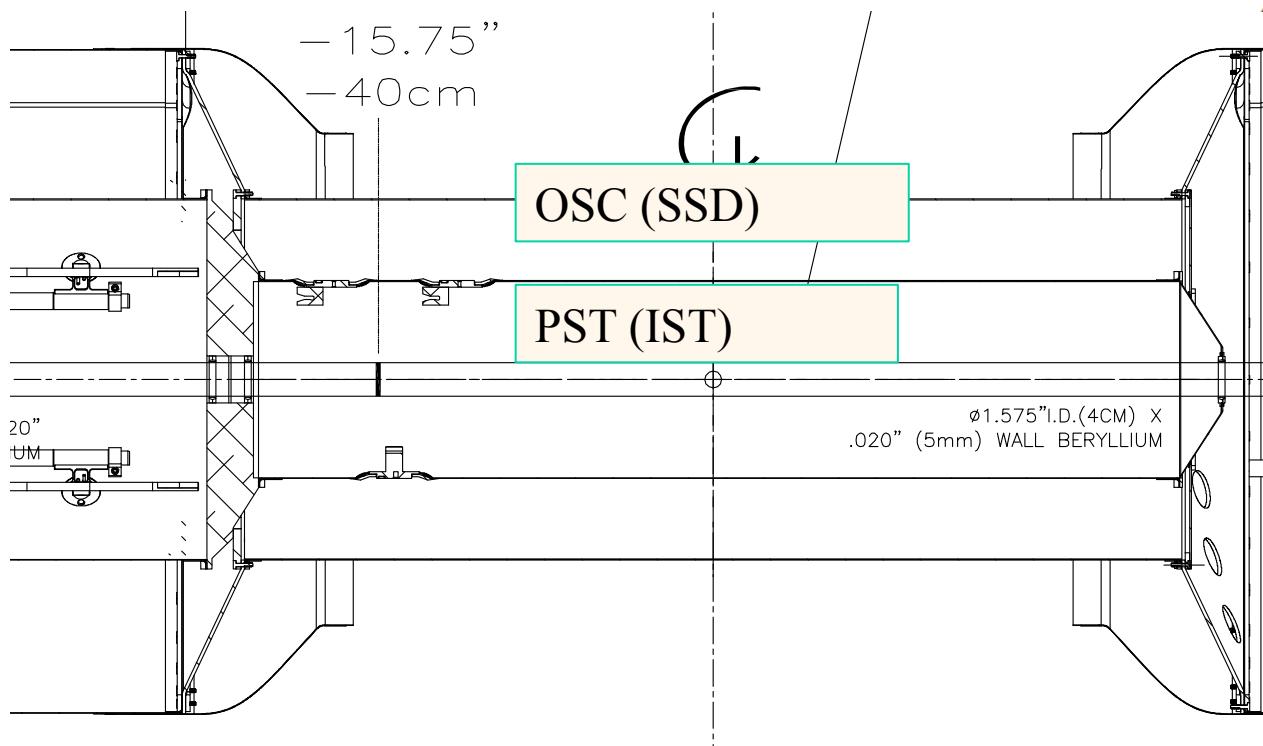
IDS

East Support Cylinder
Outer Support Cylinder
West Support Cylinder

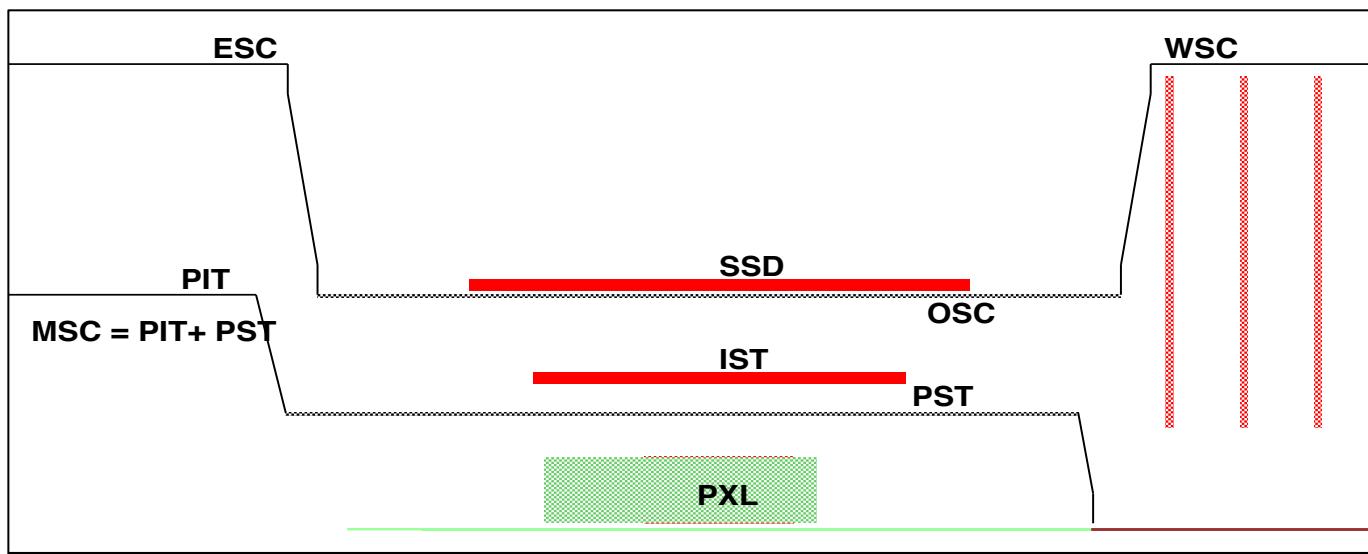
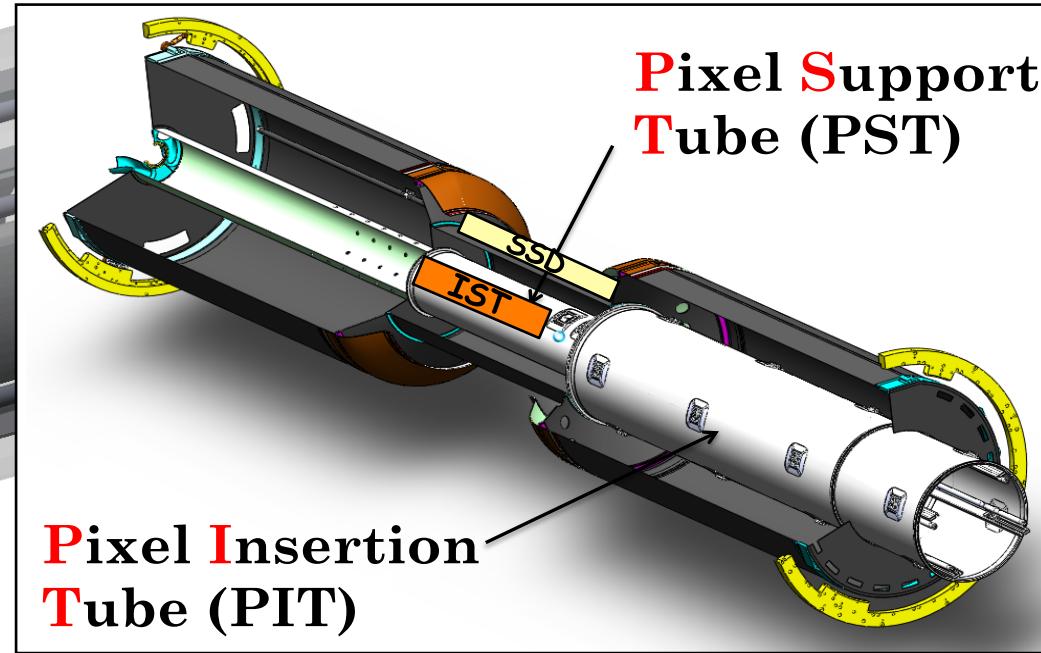
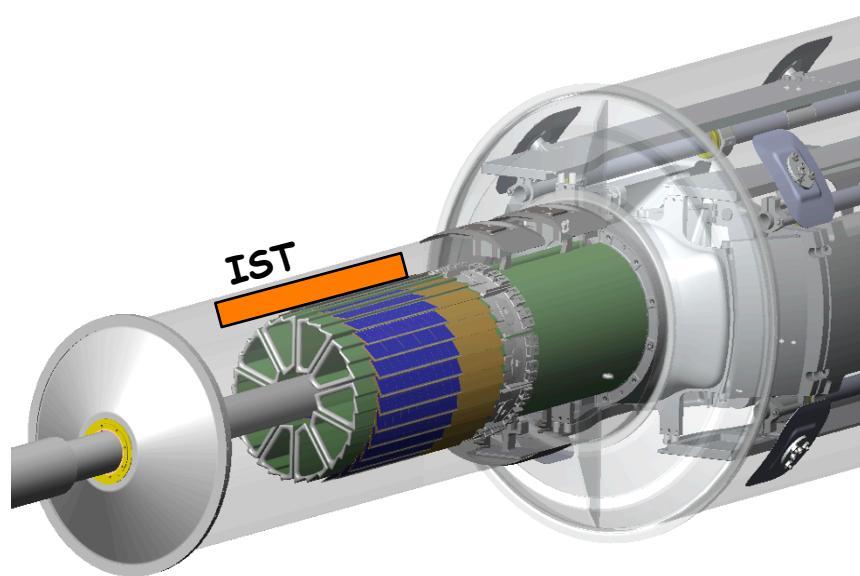


MSC

Pixel Insertion Tube
Pixel Support Tube



General Layout



Local <-> Global transforms

OLD SSD

WG = Tpc2Global * GL * SG * LS * WLL;
WaferInGlobal=Tpc2Magnet * SsdinTpc * SectorInSSD * LadderInSector * WaferInLadder

HFT SSD

WG = Tpc2Global * GL * LO * WLL;
WaferInGlobal=Tpc2Magnet * IDS2Tpc * Ladder2IDS * WaferInLadder

HFT IST

WG = Tpc2Global * GL * PI * LO * WLL;
WaferInGlobal=Tpc2Magnet * IDS2Tpc * PST2IDS * Ladder2PST * WaferInLadder

HFT PXL

PG = Tpc2Global * GL * PI * DP * SD * WLL;
PXLInGlobal=Tpc2Magnet * IDS2Tpc * PXL2IDS * DShell2PXL * Sector2DShell * (Pxl-Sector)

The hit-track residual Δx in the direction perpendicular to the axial strips is given by

$$\Delta x \equiv x_{\text{track}} - x_{\text{hit}} = \delta x + z \sin \beta + \tan \phi (\delta y + z \sin \alpha + x \sin \gamma) - f(\vec{B}, \phi) \quad (1)$$

and for the direction parallel to the axial strips (in double sided ladders)

$$\Delta z \equiv z_{\text{track}} - z_{\text{hit}} = \delta z + x \sin \beta + \tan \theta (\delta y + z \sin \alpha + x \sin \gamma) \quad (2)$$

The simplest approach to determining the alignment parameters is to use the means of the following histograms(for the Δx case):

1. the distribution of residuals integrated over y , z , and ϕ , which gives δx directly,
2. the residual vs. z which gives $\sin \beta$,
3. the residual vs. $\tan \phi$ which gives δy ,
4. the residual/ $\tan \phi$ vs. x which gives $\sin \gamma$,
5. and the residual/ $\tan \phi$ vs. z which gives $\sin \alpha$.

HFT Proposed Procedure:

Remember: PXL detector is a big asset (c.f. TPC)

1. Global Alignment of PXL

- Relative alignment of PXL sectors and halves using overlap region AND halves using Event vertex found by each half
- Relative alignment of PXL and TPC [TPC primary tracks]
 - Iterative ->(PXL, PXL half, sector)
- Exact sequence/interplay needs to be determined

2. Primary tracks with TPC+PXL hits

- Alignment of IST ladders with respect to PXL

3. Primary tracks with (All - SSD) hits

- Alignment of SSD ladders

4. Check

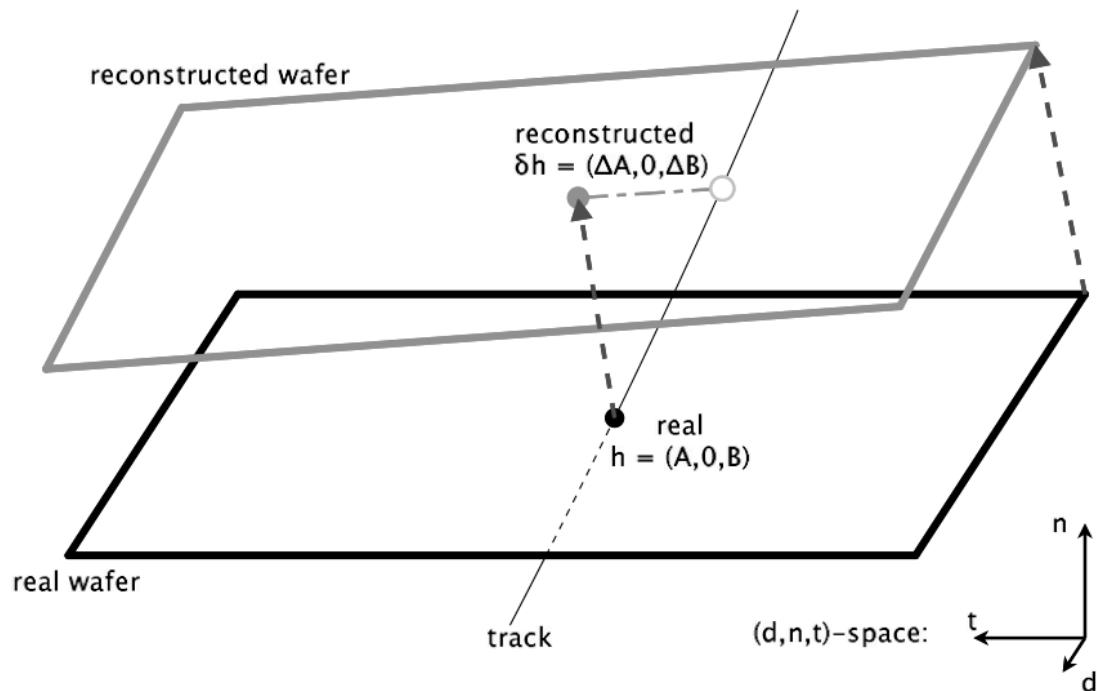
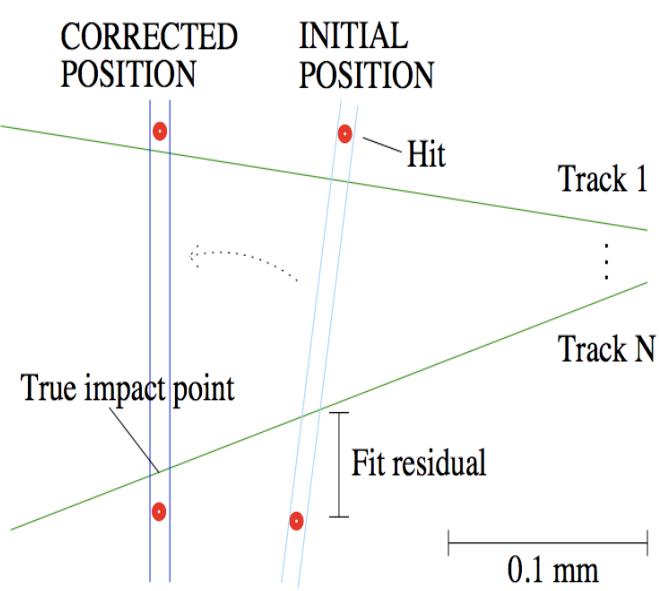
- We assume that sensors on ladder and ladders on sectors are pre-surveyed to specs

References

1. “The STAR time projection chamber a unique tool for studying high multiplicity events at RHIC”, M.Anderson et al., NIM A499: 652,2003.
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3. “Correcting for distortions due to ionization in the STAR TPC”, G. Van Buren et al.,NIM A566:22-25,2006.
4. “The STAR Silicon Vertex Tracker” A large area Silicon Drift Detector”, R.Bellwied et Al., NIM A499: 640, 2003.
5. “The STAR silicon strip-detector (SSD)”, L.Arnold et al., NIM 2003 A499: 652, 2003.
6. “Alignment Strategy for the SMT Barrel Detectors”, D.Chakborty, J.D.Hobbs, October 13, 1999. D0 Note (unpublished)
7. “Sensor Alignment by Tracks”, V.Karimaki et al.,CMS CR-2004/009 (presented at CHEP 2003)
8. <http://phys.kent.edu/~margetis/STAR/HFT/Survey/SVTSmallScaleSelfAlignment.pdf>
9. http://phys.kent.edu/~margetis/STAR/HFT/Survey/SVT_Alignment_JPCSL.pdf

Small Scale Self-Alignment with the SVT

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$$\Delta A = -B\delta\phi_n - \delta x_d + v_{dn}[A\delta\phi_t - B\delta\phi_d + \delta x_n]$$

$$\Delta B = A\delta\phi_n - \delta x_t + v_{tn}[A\delta\phi_t - B\delta\phi_d + \delta x_n]$$

The hit-track residual Δx in the direction perpendicular to the axial strips is given by

$$\Delta x \equiv x_{\text{track}} - x_{\text{hit}} = \delta x + z \sin \beta + \tan \phi (\delta y + z \sin \alpha + x \sin \gamma) - f(\vec{B}, \phi) \quad (1)$$

and for the direction parallel to the axial strips (in double sided ladders)

$$\Delta z \equiv z_{\text{track}} - z_{\text{hit}} = \delta z + x \sin \beta + \tan \theta (\delta y + z \sin \alpha + x \sin \gamma) \quad (2)$$

$$\Delta A = -B\delta\phi_n - \delta x_d + v_{dn}[A\delta\phi_t - B\delta\phi_d + \delta x_n]$$

$$\Delta B = A\delta\phi_n - \delta x_t + v_{tn}[A\delta\phi_t - B\delta\phi_d + \delta x_n]$$

The simplest approach to determining the alignment parameters is to use the means of the following histograms (for the Δx case):

1. the distribution of residuals integrated over y , z , and ϕ , which gives δx directly,
2. the residual vs. z which gives $\sin \beta$,
3. the residual vs. $\tan \phi$ which gives δy ,
4. the residual/ $\tan \phi$ vs. x which gives $\sin \gamma$,
5. and the residual/ $\tan \phi$ vs. z which gives $\sin \alpha$.

A. Appendix. Jacobian of measured hit position deviation from predicted track ones with respect to misalignment parameters.

1. Misalignment of the detector in Global Coordinate System (GCS)

- $\vec{j} = (j_x, j_y, j_z)$ - track direction cosines in GCS on measurement plane,
- $\vec{x} = (x, y, z)$ - track prediction in GCS on measurement plane,
- $\vec{x}_{hit} = (x_{hit}, y_{hit}, z_{hit})$ - hit position in GCS on measurement plane,
- $\vec{v} = (v_x, v_y, v_z)$ - direction of perpendicular to measurement plane in GCS,
- $\vec{\Delta} = (\Delta_x, \Delta_y, \Delta_z, \Delta_\alpha, \Delta_\beta, \Delta_\gamma)$ - misalignment parameters: shift and rotation with respect to X,Y,Z axises, respectively.
- $\vec{x}_{hit} - \vec{x} = \mathbf{G} \cdot \vec{\Delta} =$

$$\begin{pmatrix} -1 + j_x v_x & j_x v_y & j_x v_z & j_x(-v_y z + v_z y) & -z + j_x(v_x z - v_z x) & y + j_x(-v_x y + v_y x) \\ j_y v_x & -1 + j_y v_y & j_y v_z & z + j_y(-v_y z + v_z y) & j_y(v_x z - v_z x) & -x + j_y(-v_x y + v_y x) \\ j_z v_x & j_z v_y & -1 + j_z v_z & -y + j_z(-v_y z + v_z y) & x + j_z(v_x z - v_y x) & j_z(-v_x y + v_y x) \end{pmatrix} \vec{\Delta}$$

2. Misalignment of the detector in Local Coordinate System (LCS)

- $\vec{u} = (u, v, w \equiv 0)$ - track prediction in LCS on measurement plane.
- (t_u, t_v) - track direction tangenses in Local Coordinate system (LCS) on measurement plane.
- $\vec{u}_{hit} = (u_{hit}, v_{hit})$ - hit position in LCS on measurement plane,
- $\vec{\delta} = (\delta_u, \delta_v, \delta_w, \delta_\alpha, \delta_\beta, \delta_\gamma)$ - misalignment parameters, shift and rotation with respect to local u,v,w axises, respectively.
- $\vec{u}_{hit} - \vec{u} = \mathbf{L} \cdot \vec{\delta} = \begin{pmatrix} -1 & 0 & t_u & t_u v & -t_u u & v \\ 0 & -1 & t_v & t_v v & -t_v u & -u \end{pmatrix} \vec{\delta}$
- $(u_{hit} - u) = -\delta_u + t_u(\delta_w + v\delta_\alpha - u\delta_\beta) + v\delta_\gamma;$
 $(v_{hit} - v) = -\delta_v + t_v(\delta_w + v\delta_\alpha - u\delta_\beta) - u\delta_\gamma;$